

Course Name: Mathematics of Network Algorithms	Course Code: DS4114/DS6144 and MT4154/MT6174
Date of Exam: November 20, 2023	Duration: 2 hours
Instructor: Prafullkumar Tale	Total Score: 40

Instructions: All questions are compulsory. No queries will be entertained during the mid-term exam. Use your judgment about any possible doubts.

- Q.I. (a) (5 pts) Justify why cross-entroy cost function is more useful than quadratic cost function when the activation function is sigmoid.
 - (b) (4 pts) Define *regularisation*. Explain techniques for it.
- Q.II. (a) (5 pts) Describe a flow of designing ML/DL algorithm.
 - (b) (4 pts) Define constrained optimization and Karush-Kuhn-Tucker approach.
- Q.III. (a) (5 pts) Consider a continuous function $f : \mathbb{R}^n \to \mathbb{R}$. Justify that there an artificial neural network that uses sigmoid as an activation function and approximates the function f.
 - (b) (4 pts) Explain convolutional neural networks and recurrent neural networks.
- Q.IV. (a) (3 pts) Use gradient based optimisation to find **x** that minimizes $f(\mathbf{x}) = 1/2 \cdot ||\mathbf{A}\mathbf{x} \mathbf{b}||_2^2$.
 - (b) (2 pts) Define the following terms with examples:(i) Iterated k-fold validation, and (ii) Feature Engineering.
 - (c) (2 pts) Consider the sigmoid function $\sigma(z)$. Prove that $\sigma'(z) = \sigma(z) \cdot (1 \sigma(z))$.
- Q.V. (a) (2 pts) Explain stochastic gradient descent method and justify its use.
 - (b) (2 pts) Define soft-max activation function and justify its use.
 - (c) (2 pts) Explain vanishing gradient problem using a simple artificial neural network.